

Clathrin flat lattice in solution:

The theory line is always the analytical solution to the ODE from  $A+A \rightleftharpoons C$

$$\frac{dA(t)}{dt} = -2k_{on}A(t)^2 + 2k_{off}C(t),$$

Where  $A(t)+2C(t)=A_0+2C_0$ . We set  $A_0=3N_{trimer}$ ,  $C_0=0$ . Macroscopic rates are used.

All NERDSS input files use  $k_a^{3D}$  values. For clathrin leg labels that are distinct, (e.g.  $c_1$  and  $c_2$ ), the input rates must be multiplied by 2 to enforce the same binding free energies for all binding reactions.

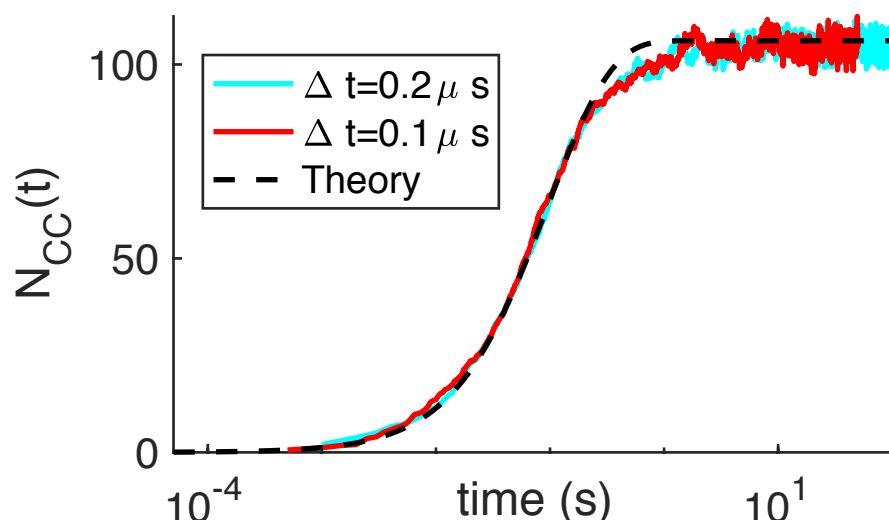


Fig 1. Bound clathrin legs, initially 100 trimers in  $V=(0.494\mu m)^3$ . Same volume for other simulations.  $K_d=1\mu M$ ,  $k_{on}=1\mu M^{-1}s^{-1}$ ,  $k_{off}=1s^{-1}$ . Theory is for 300 independent legs, so no spatial or structural effects. LoopCoopFactor  $f=5.9E-6$ .  $D_t=13\mu m^2/s$ ,  $D_R=0.03rad^2/s$ . Nbound\_eq=106.1 for independent sites.

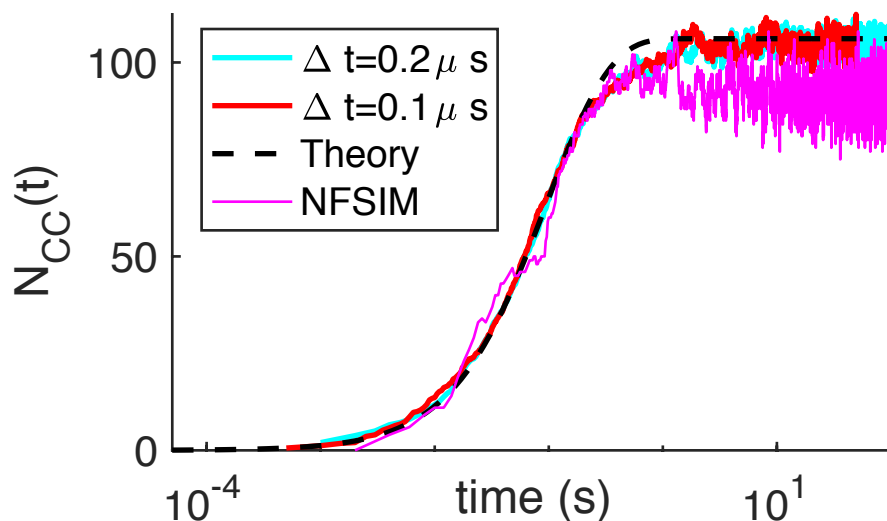


Fig 2. Here NFSim has intramolecular binding included. Note that for NFSim, must multiply initial self-rates by 2, as done in the .bngl file. For output, note homodimers ( $A(a!).A(a!)$ ) are double counted because the pattern appears twice.

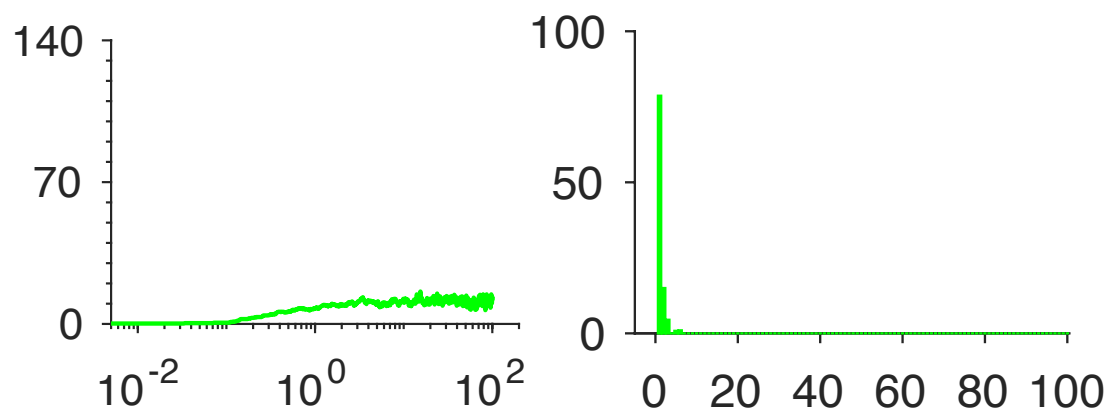


Fig 3. Average over 5 NERDSS trajectories,  $K_d=100\mu\text{M}$ ,  $f=0.001$ . Histogram: most clathrin are in dimers or monomers, a few larger multi-mers exist.

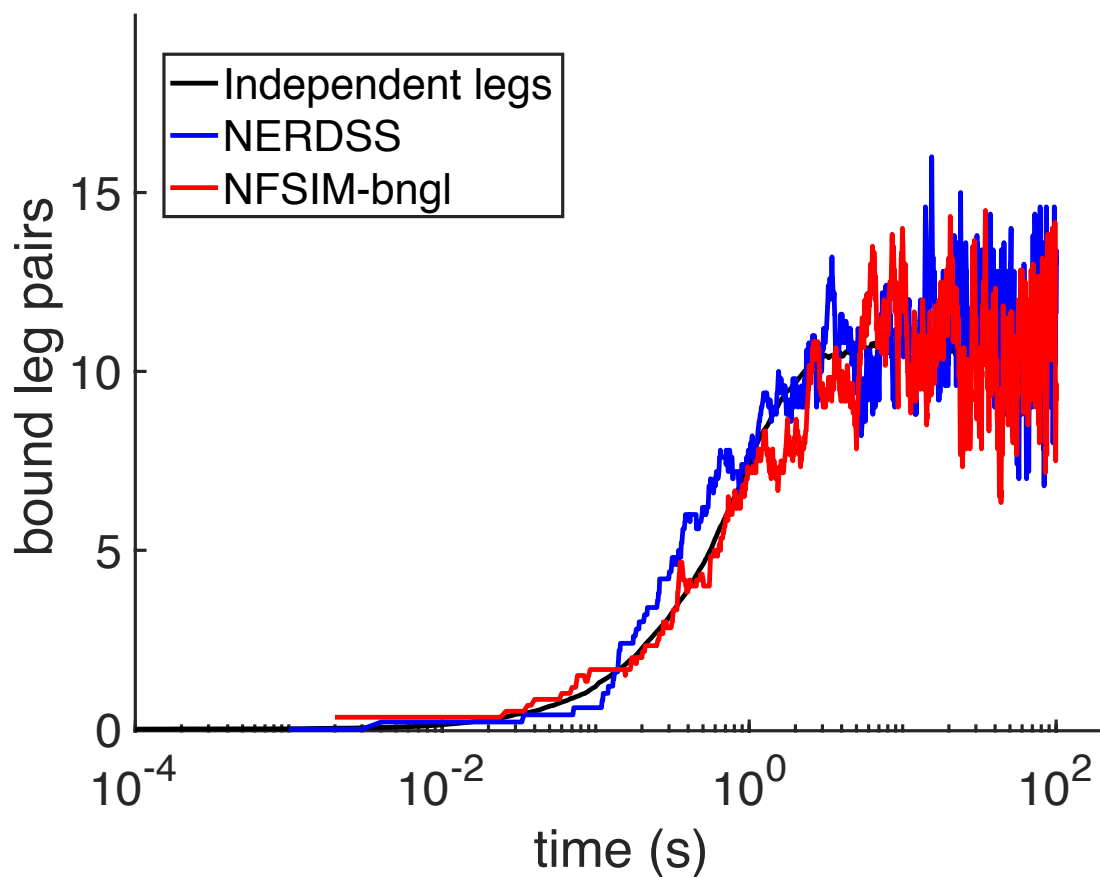


Fig 4. NERDSS is 3 trajectories.  $K_d=100\mu\text{M}$ ,  $f=0.001$ . NFSim has no intra binding. Black is Gillespie here, but same result for independent legs,  $N_{\text{bound\_eq}}=10.7$ .

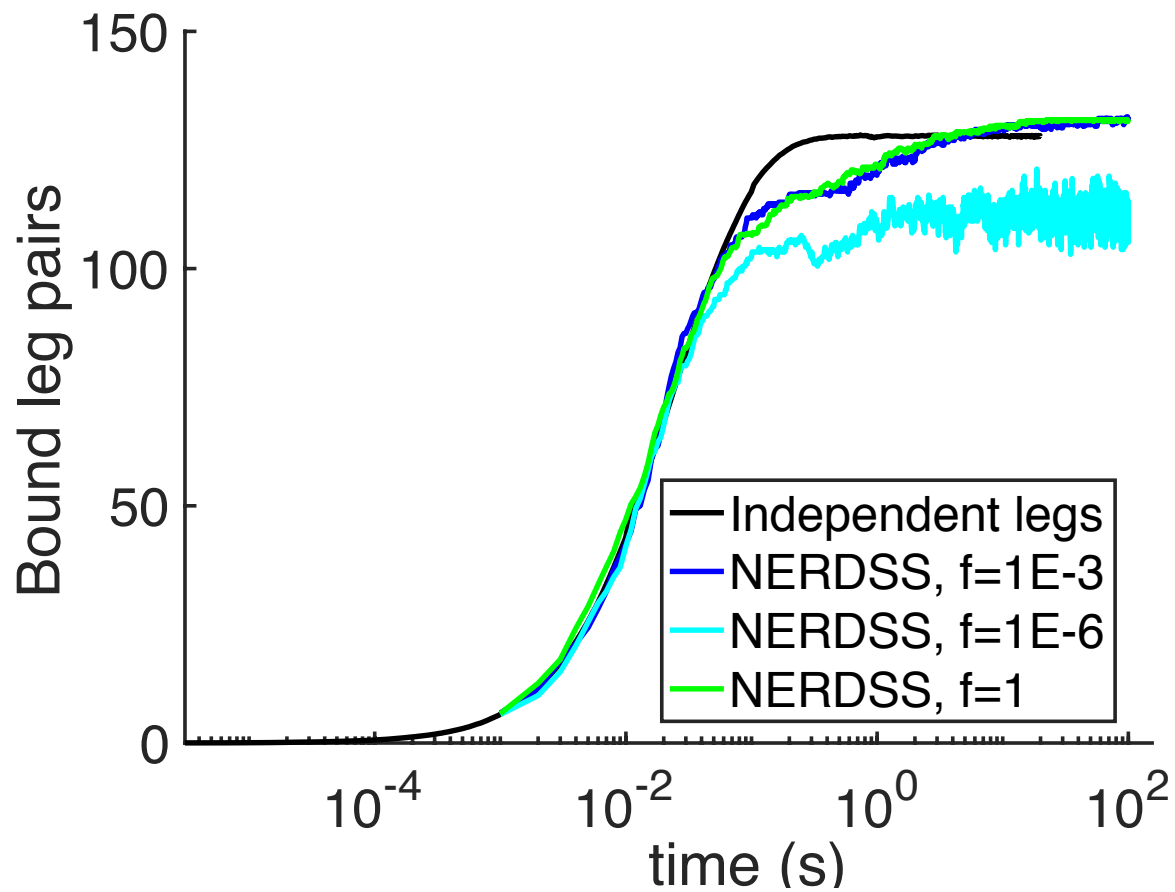


Fig 5. Clathrin 100 trimers,  $K_d=0.2\mu\text{M}$ . Decreasing  $f$  will de-stabilize loops, if it is low enough, causing fewer bound leg pairs.  $N_{\text{bound\_eq}}=128.4$  (for independent sites).